



Supporting Information

for

Effect of substitution position of aryl groups on the thermal back reactivity of aza-diarylethene photoswitches and prediction by density functional theory

Misato Suganuma, Daichi Kitagawa, Shota Hamatani and Seiya Kobatake

Beilstein J. Org. Chem. **2025**, *21*, 242–252. [doi:10.3762/bjoc.21.16](https://doi.org/10.3762/bjoc.21.16)

Experimental details and analyses of thermal back reactions

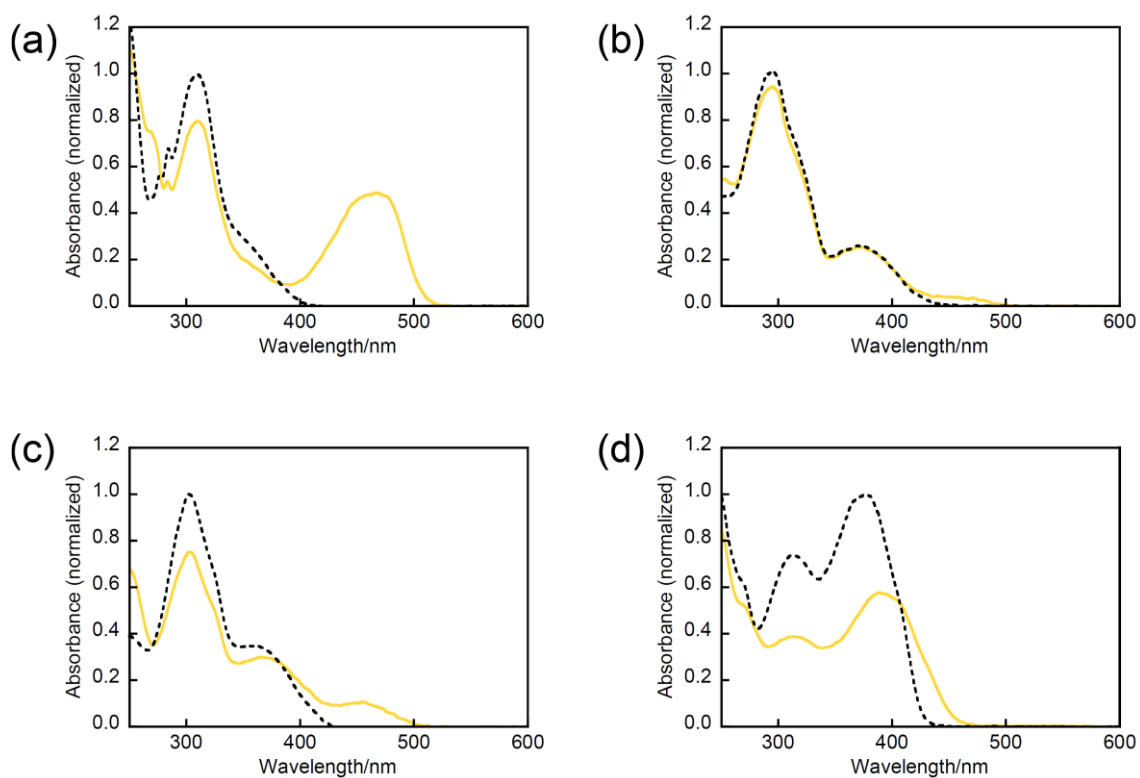


Figure S1. Absorption spectral changes of (a) **N4**, (b) **I1**, (c) **I2**, and (d) **I4** in *n*-hexane at 253 K for **N4**, 188 K for **I1**, 248 K for **I2**, and 233 K for **I4**: open-ring isomer (black line) and under irradiation with 365 nm light (yellow line).

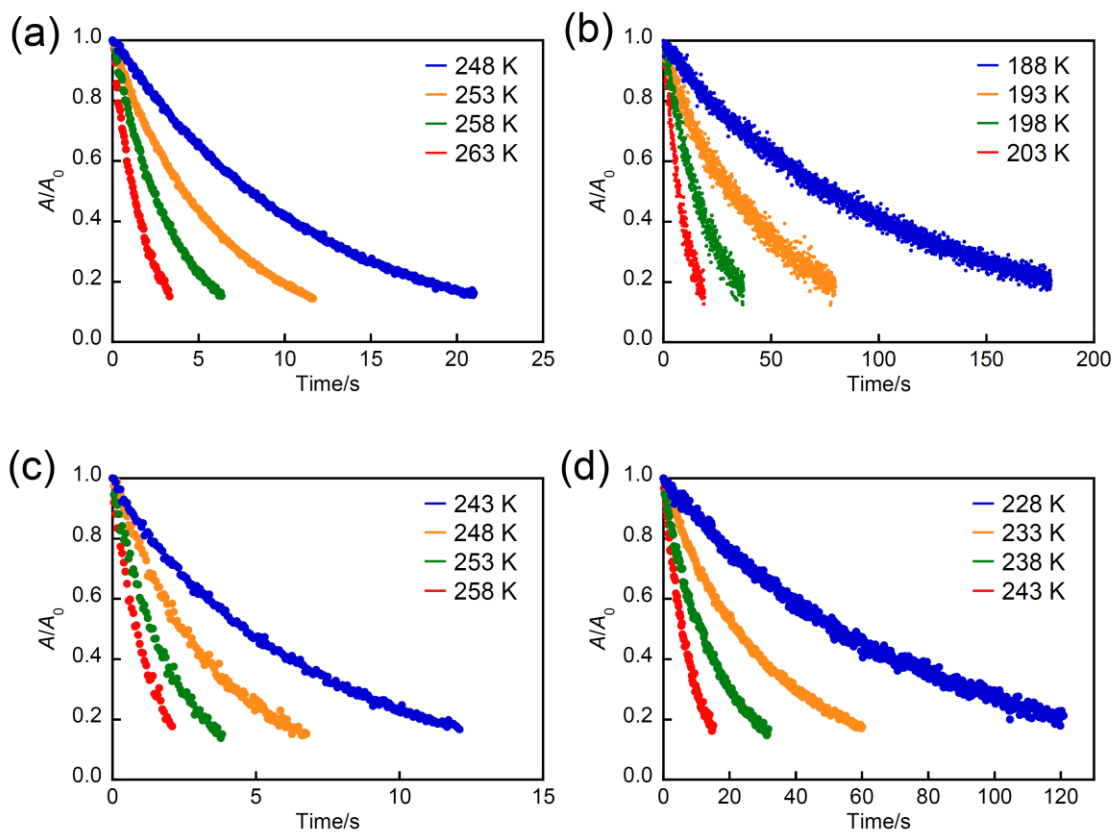


Figure S2. Absorbance decay curves at λ_{\max} for the closed-ring isomer of (a) **N4**, (b) **II**, (c) **I2**, and (d) **I4** in *n*-hexane at various temperatures.

Kinetic analysis of thermal back reaction

The reaction kinetics of the thermal back reaction were analyzed in a manner similar to a procedure from [S1]. If the thermal back reaction from the closed-ring isomer to the open-ring isomer obeys a first-order kinetics, the kinetic equation is expressed as following equation by using Lambert–Beer law.

$$\ln \frac{A_t}{A_0} = -kt$$

where k is the reaction rate constant, t is reaction time, and A_0 and A_t are absorbance of the closed-ring isomer at initial state ($t = 0$ s) and at arbitrary reaction time t , respectively. The k value can be calculated from the slope of the linear plot. The calculated k values are summarized in Tables S1–S6.

Eyring equation can be described as follows.

$$\ln\left(\frac{k}{T}\right) = -\frac{\Delta H^\ddagger}{R} \frac{1}{T} + \ln\left(\frac{k_B}{h}\right) + \frac{\Delta S^\ddagger}{R}$$

where R is gas constant, and T is absolute temperature, ΔH^\ddagger is enthalpy of activation, ΔS^\ddagger is entropy of activation, h is Planck constant, and k_B is Boltzmann constant. The linear relationship can be obtained by plotting $\ln(k/T)$ relative to $1/T$ as shown in Figures 2c, 2f, and S4. The ΔH^\ddagger and ΔS^\ddagger values can be determined from the slope and intercept of the linear plot. The Gibbs energy of activation (ΔG^\ddagger) was also determined using the relationship of $\Delta G^\ddagger = \Delta H^\ddagger - T\Delta S^\ddagger$. The results are summarized in Table 1.

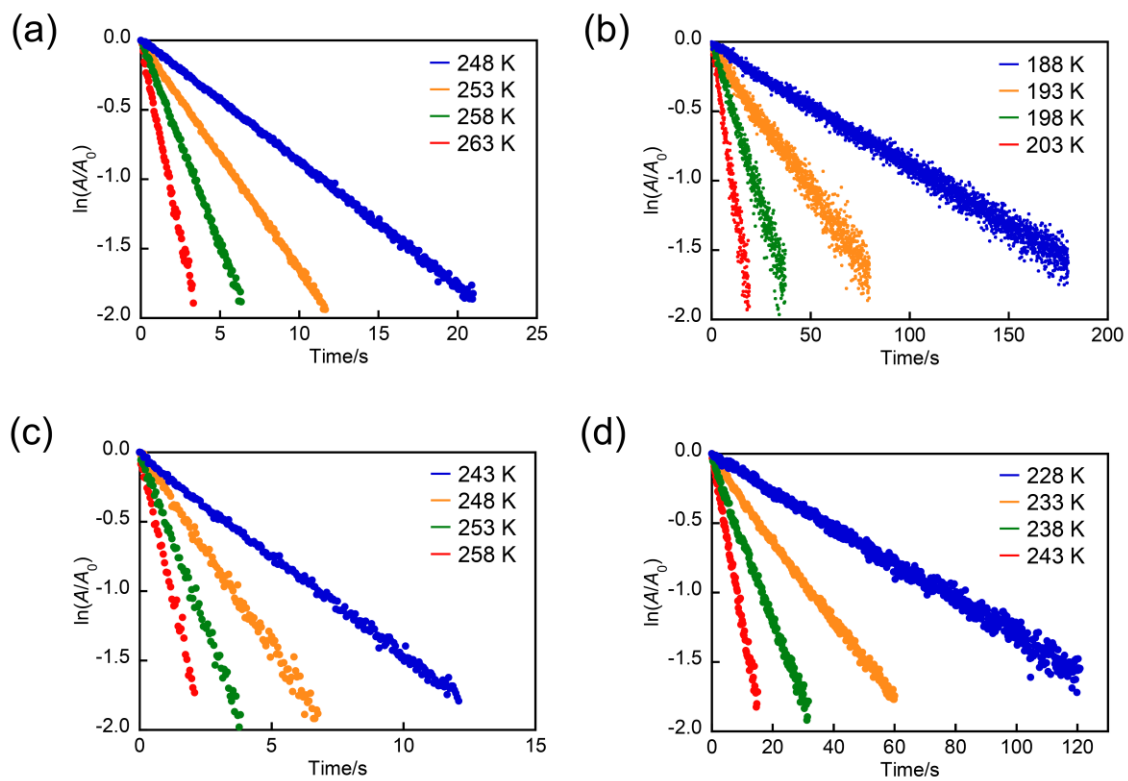


Figure S3. First-order kinetics profiles of (a) **N4**, (b) **I1**, (c) **I2**, and (d) **I4** in *n*-hexane at various temperatures.

Table S1. First-order rate constants for the thermal back reaction of **N3**.

<i>T/K</i>	<i>k/s⁻¹</i>
268.15	2.7786
263.15	1.6819
258.15	0.99070
253.15	0.58548
248.15	0.33166

Table S2. First-order rate constants for the thermal back reaction of **N4**.

<i>T/K</i>	<i>k/s⁻¹</i>
263.15	0.56137
258.15	0.29591
253.15	0.16604
248.15	0.088796

Table S3. First-order rate constants for the thermal back reaction of **I1**.

<i>T/K</i>	<i>k/s⁻¹</i>
203.15	0.096947
198.15	0.047296
193.15	0.021232
188.15	0.0088692

Table S4. First-order rate constants for the thermal back reaction of **I2**.

<i>T/K</i>	<i>k/s⁻¹</i>
258.15	0.82360
253.15	0.50140
248.15	0.28179
243.15	0.14671

Table S5. First-order rate constants for the thermal back reaction of **I3**.

<i>T/K</i>	<i>k/s⁻¹</i>
218.15	0.23092
213.15	0.11483
208.15	0.046481
203.15	0.020947

Table S6. First-order rate constants for the thermal back reaction of **I4**.

<i>T/K</i>	<i>k/s⁻¹</i>
243.15	0.12016
238.15	0.059738
233.15	0.029971
228.15	0.013128

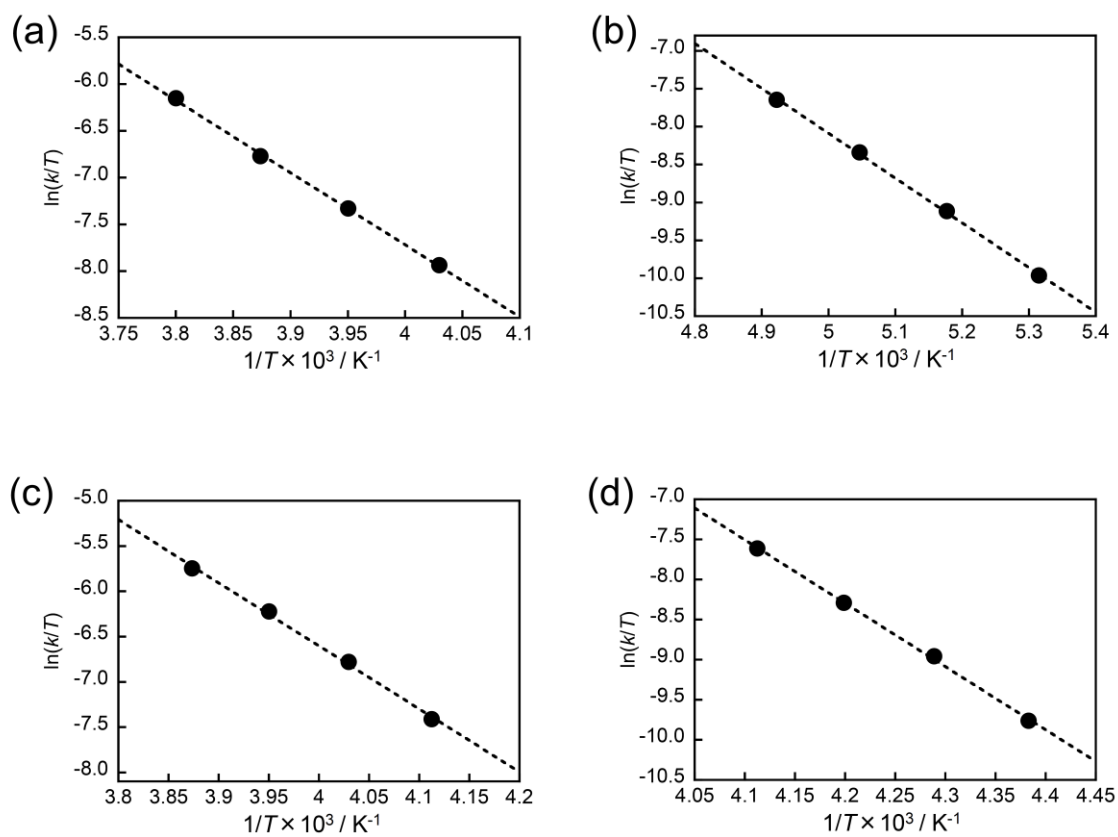


Figure S4. Temperature dependence of the rate constant (k) for the thermal back reaction of (a) **N4**, (b) **II**, (c) **I2**, and (d) **I4**.

Table S7. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **N1** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-2219.850078	-2219.830002	52.70954201
BMK	-2218.878913	-2218.850459	74.70598269
CAMB3LYP	-2219.25252	-2219.226836	67.43334714
M05	-2219.11833	-2219.098226	52.78305602
M06	-2219.034041	-2219.010424	62.00643822
M05-2x	-2219.705172	-2219.679122	68.39428021
M06-2x	-2219.268477	-2219.242634	67.85080167
MPW1PW91	-2219.555087	-2219.531743	61.28967667
ω B97X-D	-2219.401133	-2219.374696	69.41034879

Table S8. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **N2** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-2235.909998	-2235.888727	55.84701476
BMK	-2234.943358	-2234.913817	77.55990141
CAMB3LYP	-2235.314216	-2235.28719	70.95676841
M05	-2235.184903	-2235.163601	55.92840526
M06	-2235.096344	-2235.071147	66.15472854
M05-2x	-2235.762666	-2235.734993	72.65546703
M06-2x	-2235.326503	-2235.299103	71.93870548
MPW1PW91	-2235.610396	-2235.585645	64.98375545
ω B97X-D	-2235.455080	-2235.427073	73.53238410

Table S9. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **N3** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-2142.473906	-2142.452865	55.24314971
BMK	-2141.560936	-2141.531075	78.40006147
CAMB3LYP	-2141.926479	-2141.899096	71.89407198
M05	-2141.807472	-2141.786641	54.69179467
M06	-2141.720812	-2141.697114	62.21910374
M05-2x	-2142.340784	-2142.313707	71.09066892
M06-2x	-2141.930246	-2141.903082	71.31908743
MPW1PW91	-2142.198475	-2142.174382	63.25617632
ω B97X-D	-2142.054623	-2142.026967	72.61083353

Table S10. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **N4** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-1819.501278	-1819.480961	53.34228756
BMK	-1818.684947	-1818.657711	71.50812345
CAMB3LYP	-1818.940022	-1818.913564	69.46548429
M05	-1818.809089	-1818.789033	52.65703201
M06	-1818.748308	-1818.725300	60.40750860
M05-2x	-1819.379875	-1819.352976	70.62332988
M06-2x	-1818.963865	-1818.937695	68.70934023
MPW1PW91	-1819.200959	-1819.177167	62.46590076
ω B97X-D	-1819.076335	-1819.049735	69.83830532

Table S11. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **I1** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-2219.837618	-2219.822445	39.83671
BMK	-2218.867411	-2218.843667	62.33988
CAMB3LYP	-2219.242852	-2219.220579	58.47777
M05	-2219.108242	-2219.092197	42.12615
M06	-2219.022557	-2219.004122	48.40110
M05-2x	-2219.695076	-2219.672165	60.15284
M06-2x	-2219.258380	-2219.235792	59.30480
MPW1PW91	-2219.543017	-2219.524413	48.84481
ω B97X-D	-2219.392333	-2219.368678	62.10621

Table S12. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **I2** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-2235.909189	-2235.890671	48.61901
BMK	-2234.942664	-2234.914845	73.03879
CAMB3LYP	-2235.316345	-2235.290497	67.86393
M05	-2235.186029	-2235.166787	50.51987
M06	-2235.096425	-2235.074298	58.09444
M05-2x	-2235.763844	-2235.738292	67.08678
M06-2x	-2235.327432	-2235.301752	67.42285
MPW1PW91	-2235.609811	-2235.587721	57.99730
ω B97X-D	-2235.457182	-2235.430100	71.10380

Table S13. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **I3** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-2142.462843	-2142.447063	41.43039
BMK	-2141.550084	-2141.526487	61.95393
CAMB3LYP	-2141.916587	-2141.893481	60.66481
M05	-2141.798519	-2141.781101	45.73096
M06	-2141.711411	-2141.691621	51.95865
M05-2x	-2142.331467	-2142.307798	62.14296
M06-2x	-2141.921024	-2141.897261	62.38976
MPW1PW91	-2142.188328	-2142.168441	52.21332
ω B97X-D	-2142.046331	-2142.021823	64.34576

Table S14. $\Delta G^\ddagger_{(\text{calcd})}$ values for the thermal back reaction of **I4** calculated by various functionals.

Functional	Energy(closed)/hartree	Energy(TS)/hartree	$\Delta G^\ddagger_{(\text{calcd})}/\text{kJ mol}^{-1}$
B3LYP	-1819.480062	-1819.461538	48.63477
BMK	-1818.665876	-1818.638035	73.09655
CAMB3LYP	-1818.920004	-1818.893345	69.99321
M05	-1818.788685	-1818.768481	53.04561
M06	-1818.72886	-1818.706397	58.97661
M05-2x	-1819.359613	-1819.332649	70.79399
M06-2x	-1818.944392	-1818.917309	71.10642
MPW1PW91	-1819.180423	-1819.157921	59.07901
ω B97X-D	-1819.058532	-1819.030614	73.29871

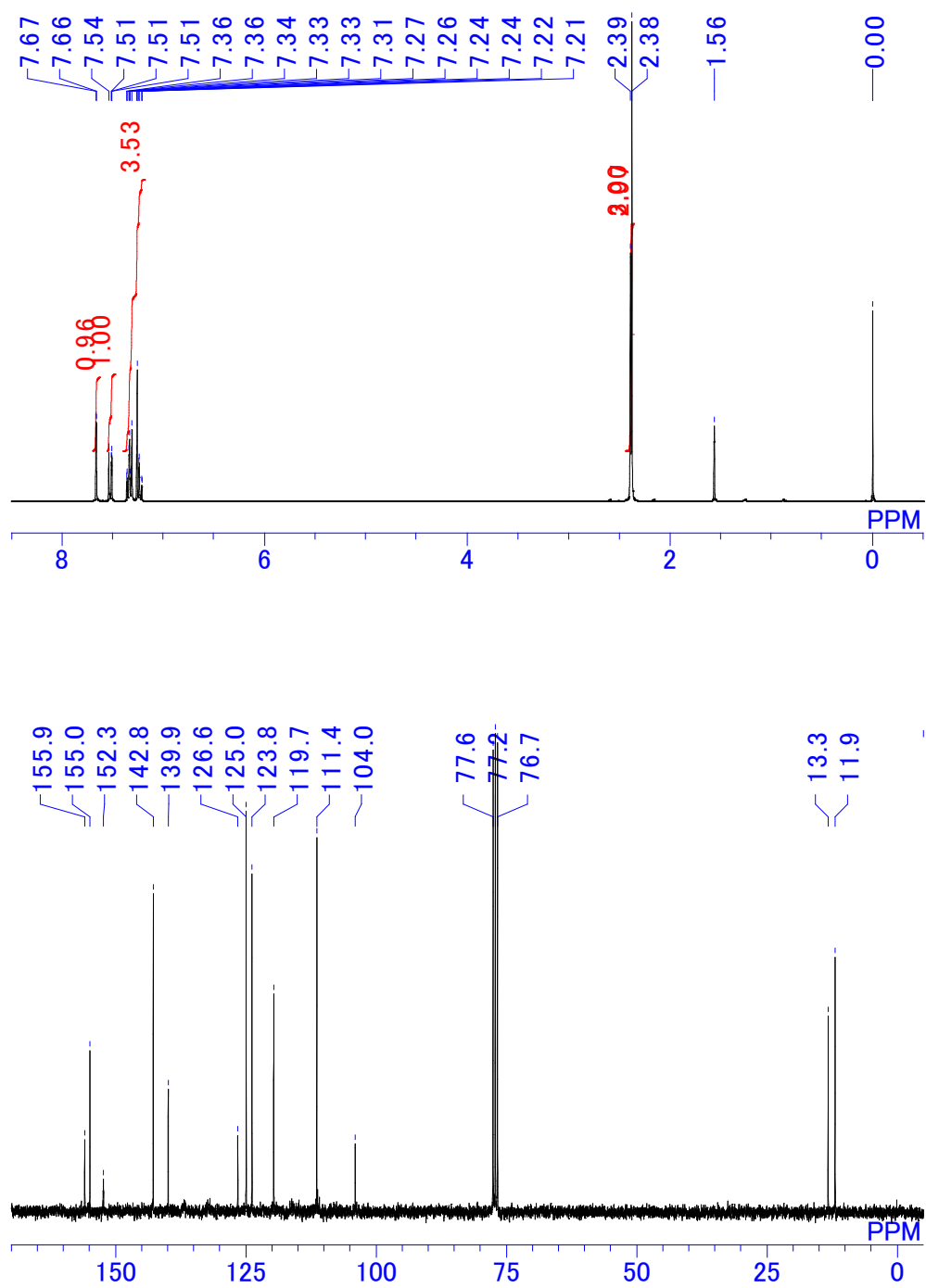


Figure S5. ¹H NMR and ¹³C NMR spectra for the open-ring isomer of N4 in CDCl₃.

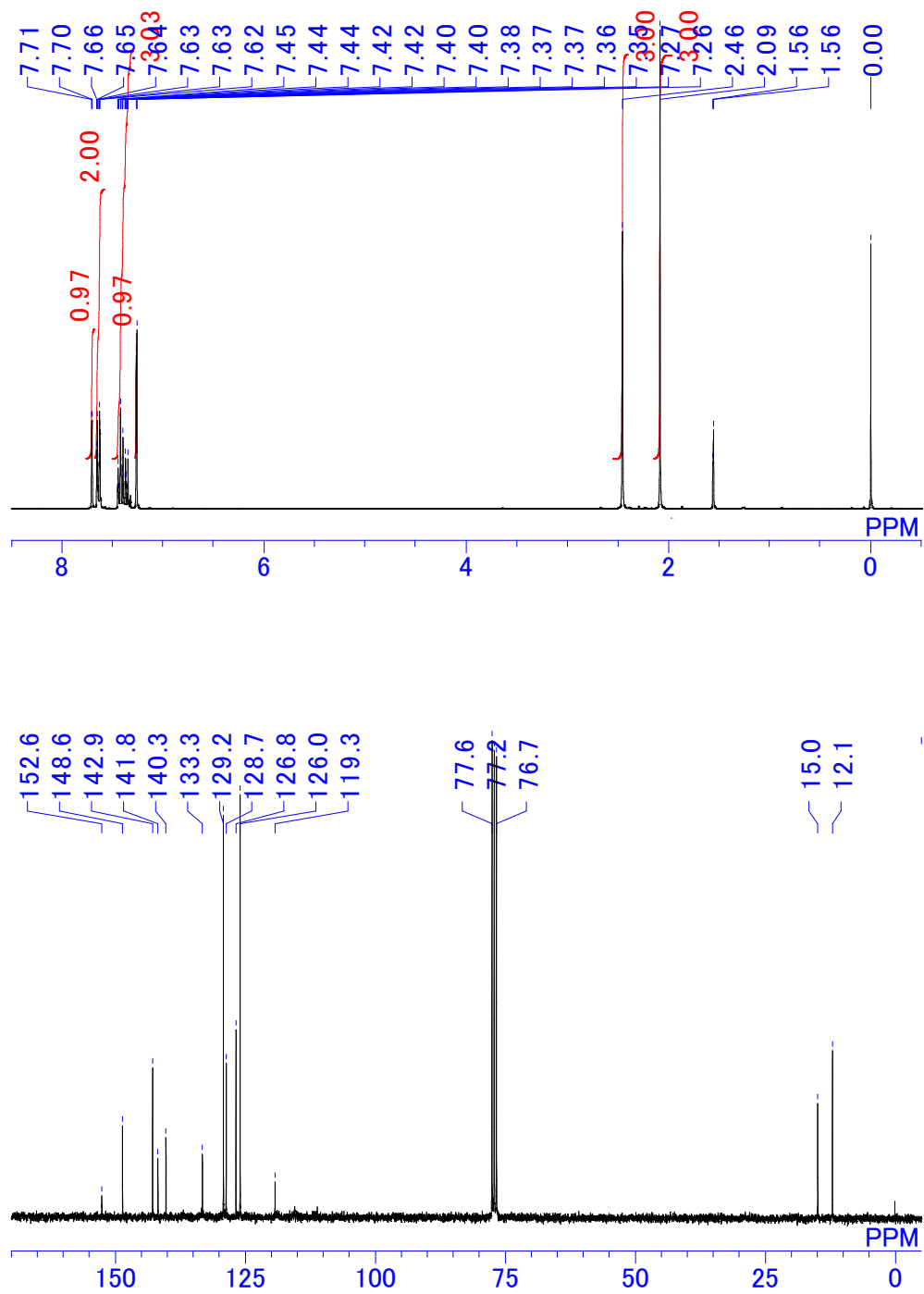


Figure S6. ¹H NMR and ¹³C NMR spectra for the open-ring isomer of **II** in CDCl₃.

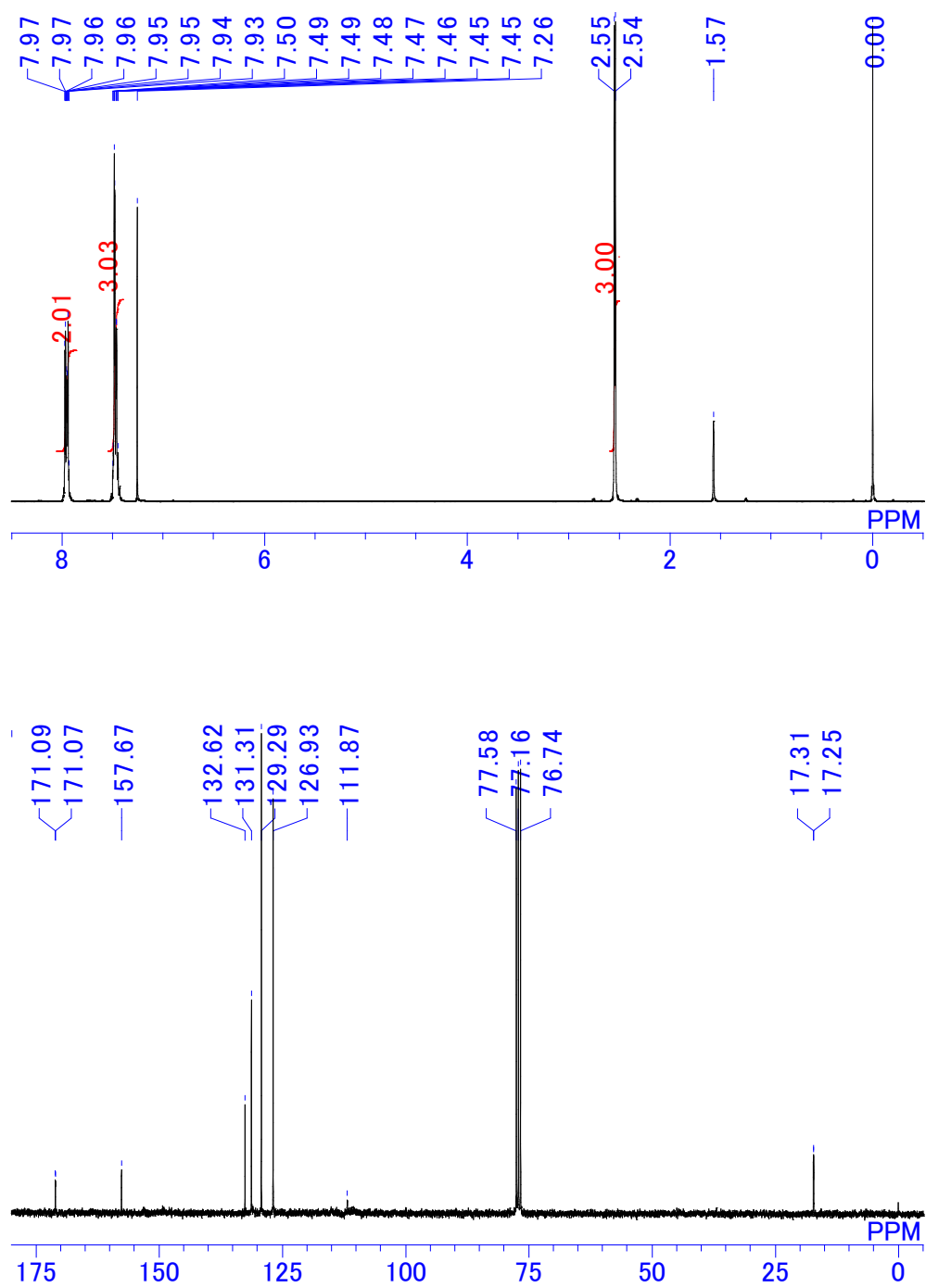


Figure S7. ¹H NMR and ¹³C NMR spectra of **12(a)** in CDCl₃.

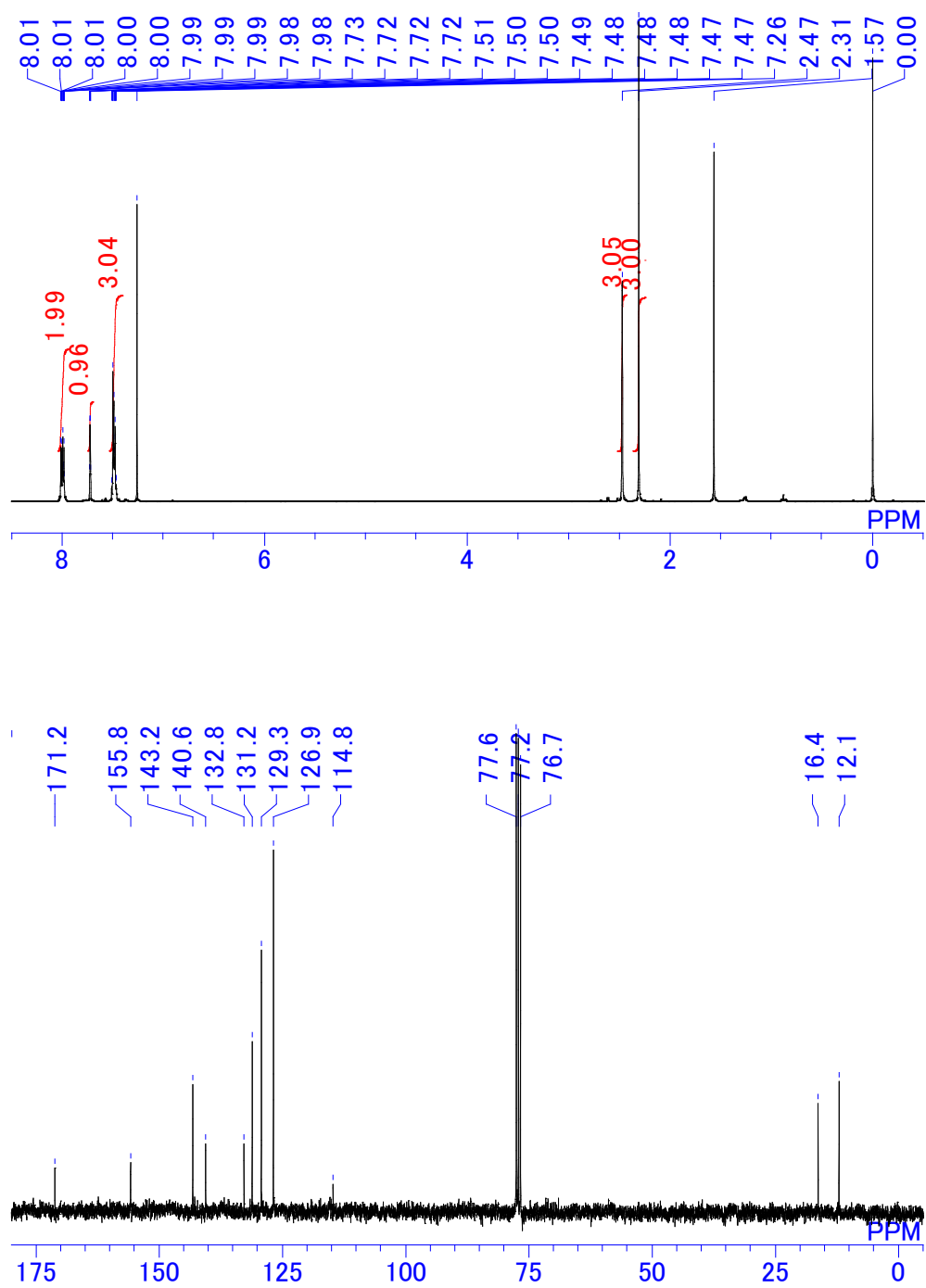


Figure S8. ^1H NMR and ^{13}C NMR spectra for the open-ring isomer of **12** in CDCl_3 .

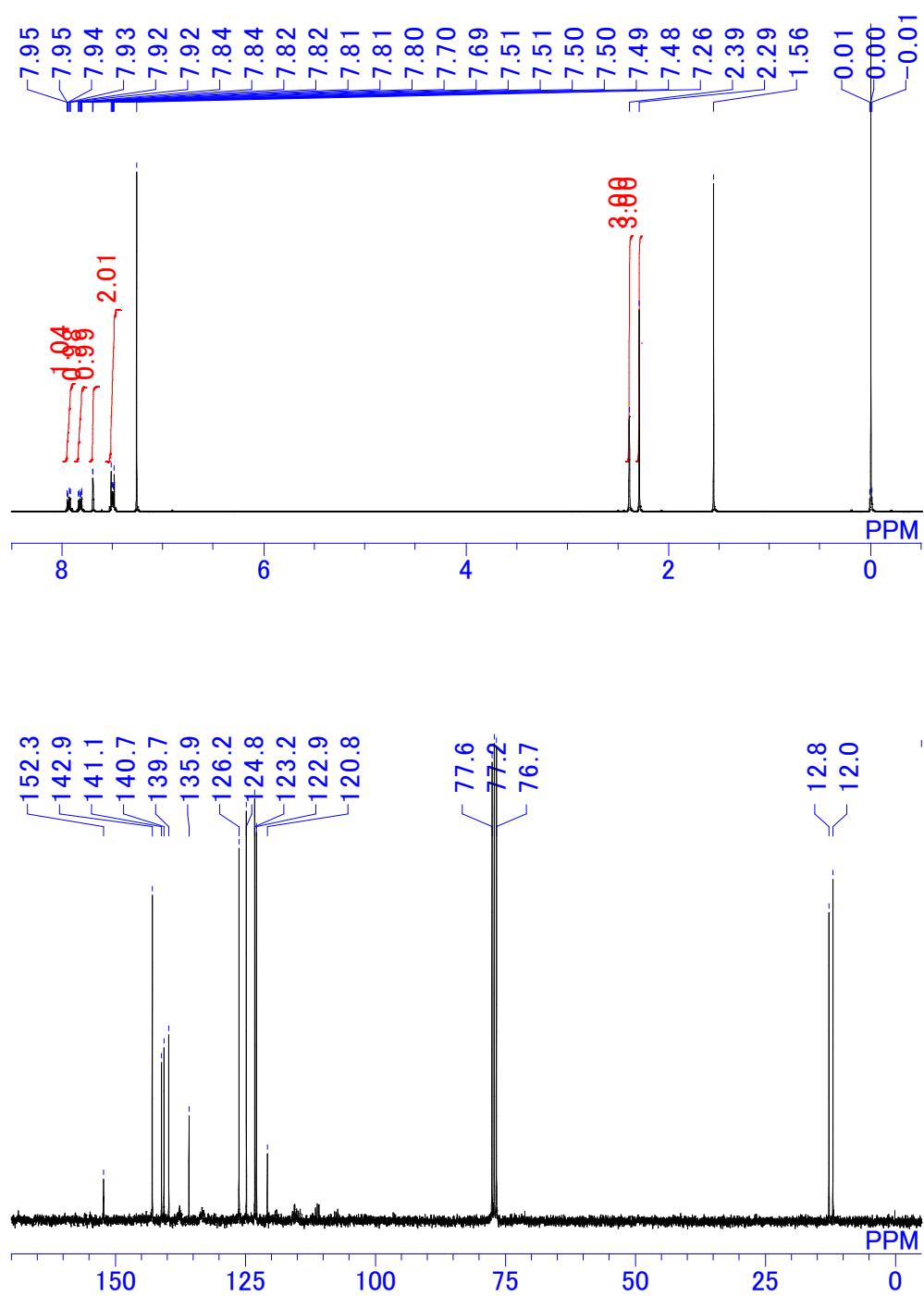


Figure S9. ¹H NMR and ¹³C NMR spectra for the open-ring isomer of **13** in CDCl₃.

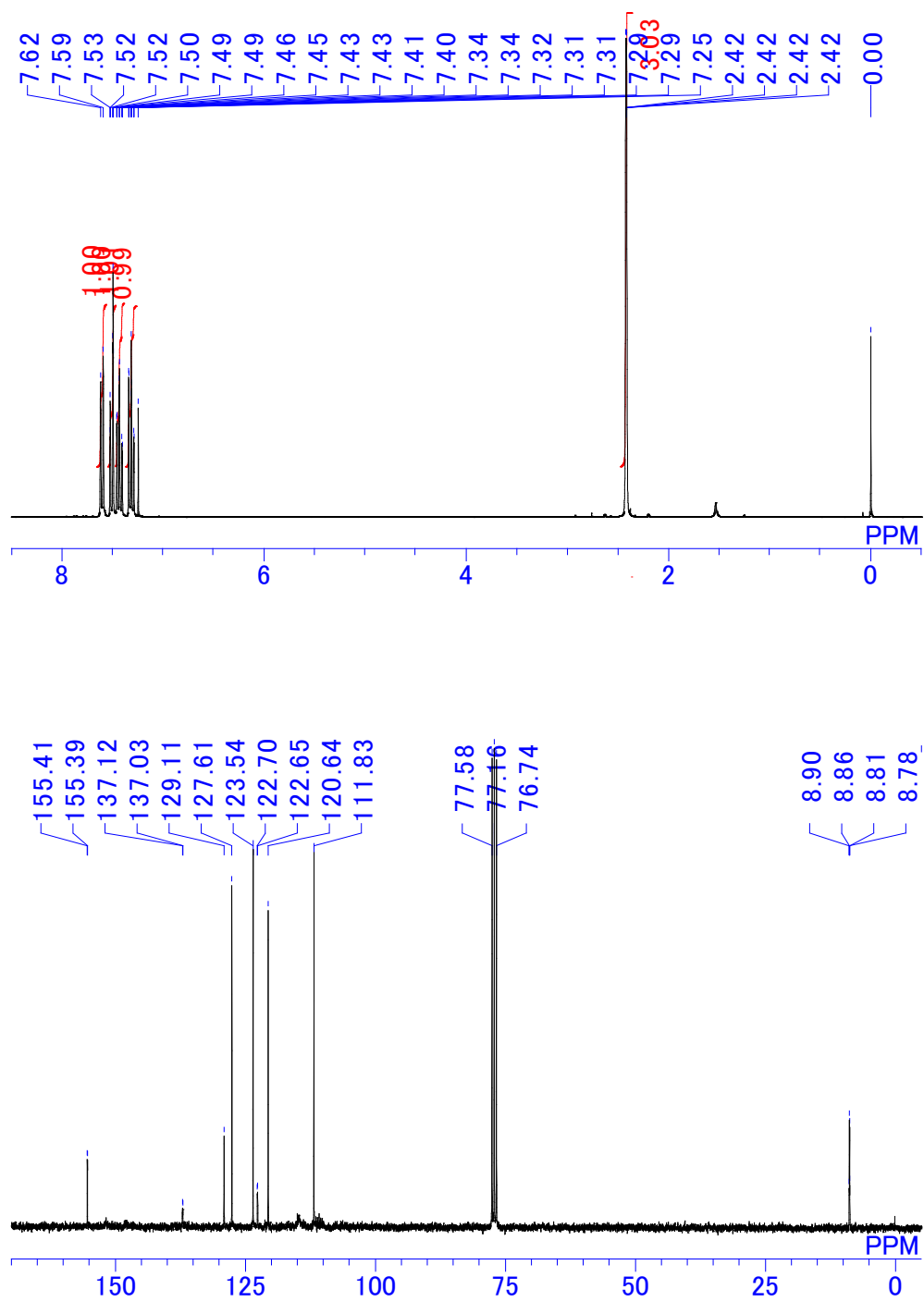


Figure S10. ¹H NMR and ¹³C NMR spectra of **I4(a)** in CDCl₃.

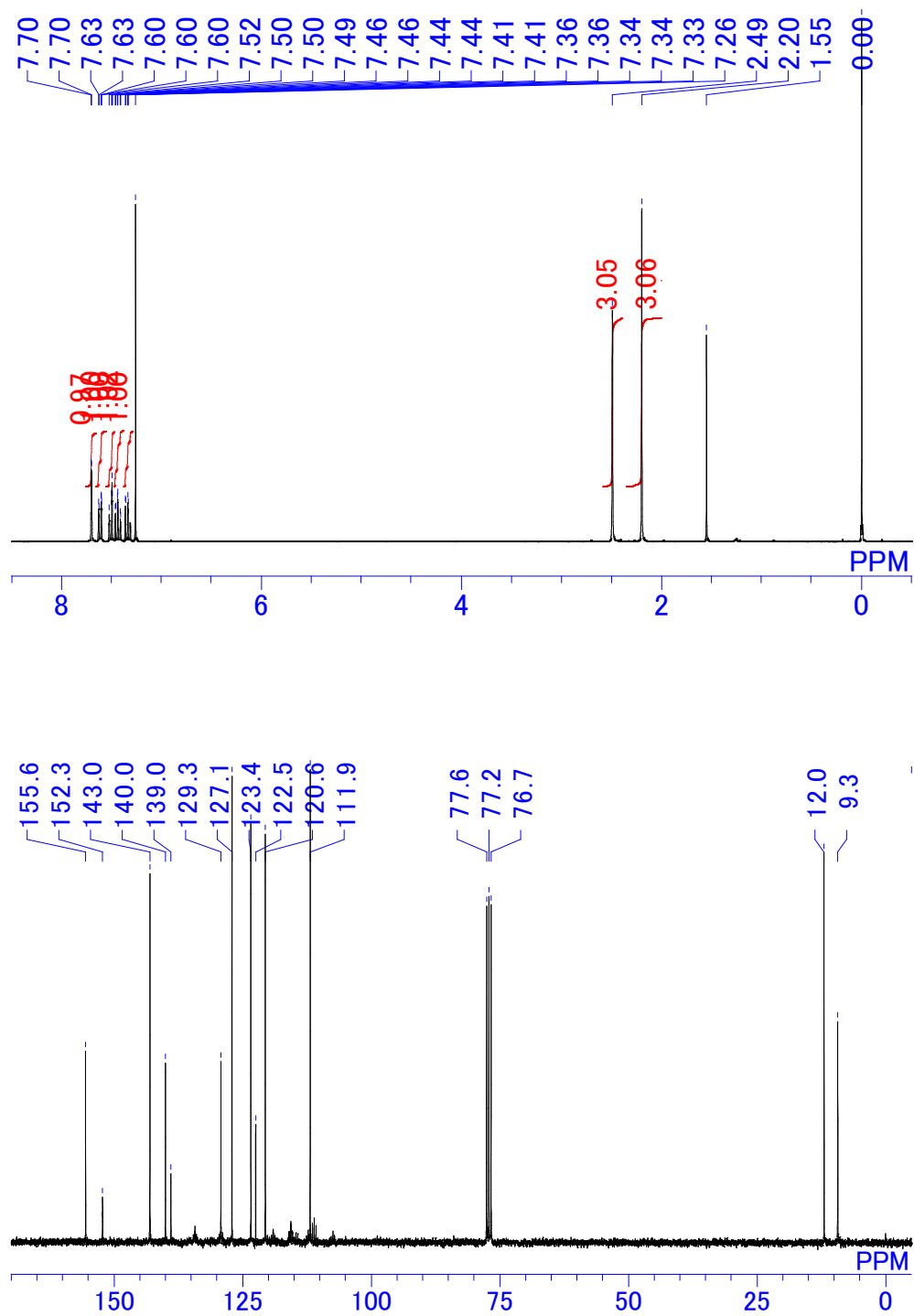


Figure S11. ¹H NMR and ¹³C NMR spectra for the open-ring isomer of **14** in CDCl₃.

References

- (S1) Kitagawa, D.; Takahashi, N.; Nakahama, T.; Kobatake, S. *Photochem. Photobiol. Sci.* **2020**, *19*, 644–653. doi:10.1039/d0pp00024h